

Franc Forstnerič: List of publications

1. F. FORSTNERIČ: Proper holomorphic mappings in several complex variables. Thesis (Ph. D.), University of Washington, Seattle (1985). 149 pp., ProQuest LLC, Thesis.
2. F. FORSTNERIČ: Embedding strictly pseudoconvex domains into balls. *Trans. Amer. Math. Soc.* **295:1** (1986) 347–368. <http://www.ams.org/journals/tran/1986-295-01/>
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4. F. FORSTNERIČ: Stability of polynomial convexity of totally real sets. *Proc. Amer. Math. Soc.* **96:3** (1986) 489–494. <http://www.jstor.org/stable/2046601>
5. F. FORSTNERIČ: Analytic discs with boundaries in a maximal real submanifold of \mathbb{C}^2 . *Ann. Inst. Fourier* **37:1** (1987) 1–44. <https://eudml.org/doc/74744>
6. F. FORSTNERIČ: Proper holomorphic maps from balls. *Duke Math. J.* **53:2** (1986) 427–441. <http://projecteuclid.org/euclid.dmj/1077305051>
7. F. FORSTNERIČ: Some totally real embeddings of three-manifolds. *Manuscripta Math.* **55:1** (1986) 1–7. <http://link.springer.com/article/10.1007/BF01168610>
8. F. FORSTNERIČ: On totally real embeddings into \mathbb{C}^n . *Exposition. Math.* **4:3** (1986) 243–255
9. F. FORSTNERIČ: Polynomially convex hulls with piecewise smooth boundaries. *Math. Ann.* **276:1** (1986) 97–104. <https://eudml.org/doc/164187>
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13. F. FORSTNERIČ: Extending proper holomorphic mappings of positive codimension. *Invent. Math.* **95:1** (1989) 31–62. <https://eudml.org/doc/143645>
14. F. FORSTNERIČ: A totally real three-sphere in \mathbb{C}^3 bounding a family of analytic discs. *Proc. Amer. Math. Soc.* **108:4** (1990) 887–892. <https://www.jstor.org/stable/2047942>
15. F. FORSTNERIČ: Mappings of strongly pseudoconvex Cauchy-Riemann manifolds. In: *Several complex variables and complex geometry*, Santa Cruz, 1989. *Proc. Symp. Pure Math.*, **52**, Part 1, pp. 59–92. Amer. Math. Soc., Providence, 1991. <http://www.ams.org/books/pspum/052.2/pspum052.2-endmatter.pdf>
16. F. FORSTNERIČ AND E. L. STOUT: A new class of polynomially convex sets in \mathbb{C}^2 . *Arkiv Mat.* **29:1** (1991) 51–62. <http://link.springer.com/article/10.1007%2FBF02384330>
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Faculty of Mathematics and Physics, University of Ljubljana
Jadranska 19, 1000 Ljubljana, Slovenia

Institut of Mathematics, Physics and Mechanics
Jadranska 19, 1000 Ljubljana, Slovenia

email: franc.forstneric@fmf.uni-lj.si
<https://www.fmf.uni-lj.si/~forstneric/>